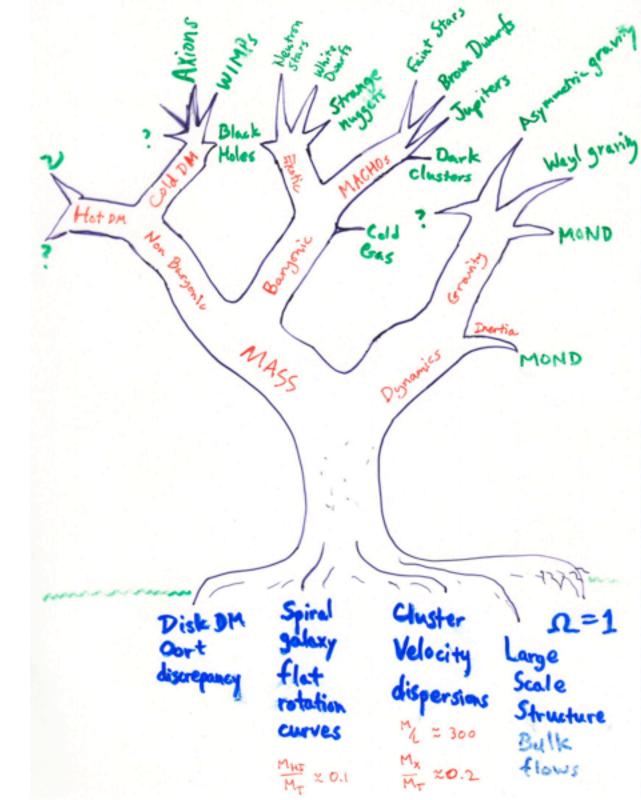
Today:

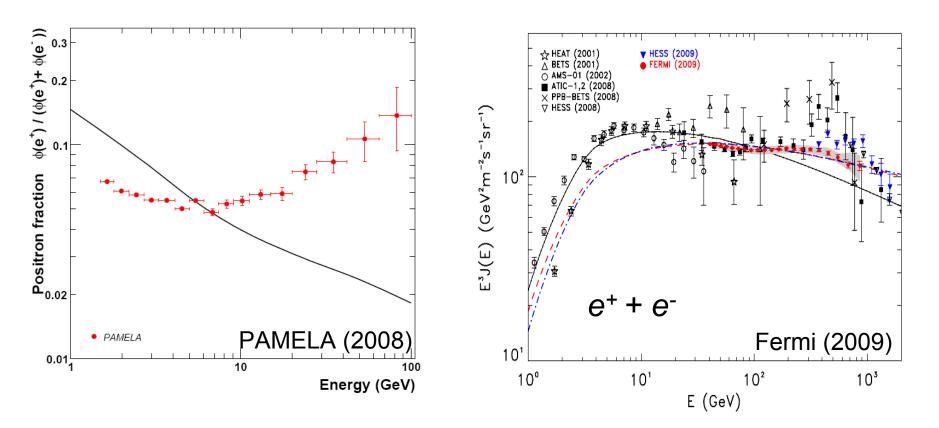
- Jakub
- WIMPs
- MOND

4/19: **Review HW due** 

4/21: Exam



## INDIRECT DETECTION



Solid lines are the predicted spectra from GALPROP (Moskalenko, Strong)

11 Dec 09

One must exclude astrophysical sources before claiming a detection of dark matter.

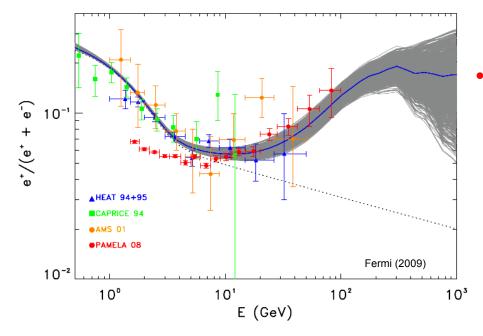
Feng 10

From review by Feng et al. linked off course review literature page.

## ARE THESE DARK MATTER?

• Pulsars can explain PAMELA

Zhang, Cheng (2001); Hooper, Blasi, Serpico (2008) Yuksel, Kistler, Stanev (2008) Profumo (2008) ; Fermi (2009)



- For dark matter, there is both good and bad news
  - Good: the WIMP miracle motivates excesses at ~100 GeV TeV
- Bad: the WIMP miracle also tells us
  that the annihilation cross section
  should be a factor of 100-1000 too
  small to explain these excesses.
  Need enhancement from
  - astrophysics (very unlikely)
  - particle physics

11 Dec 09

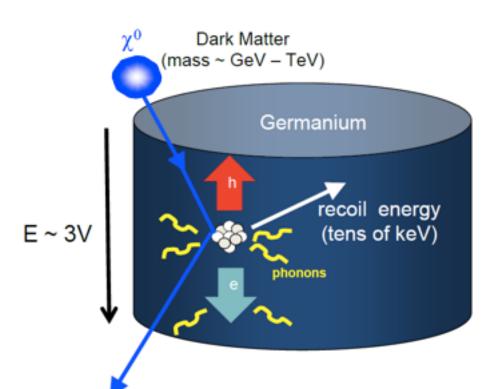
Feng 11

From review by Feng et al. linked off course review literature page.

Experimental results to date (early 2016): nada

## Direct detection: Many, *many* experiments CDMS, LUX, XENON, DAMA, etc., etc.

Basic idea: WIMP passing through detector interacts via weak force; scatters off nucleus. Detect deposited energy of recoil. (analogous to neutrino detection).



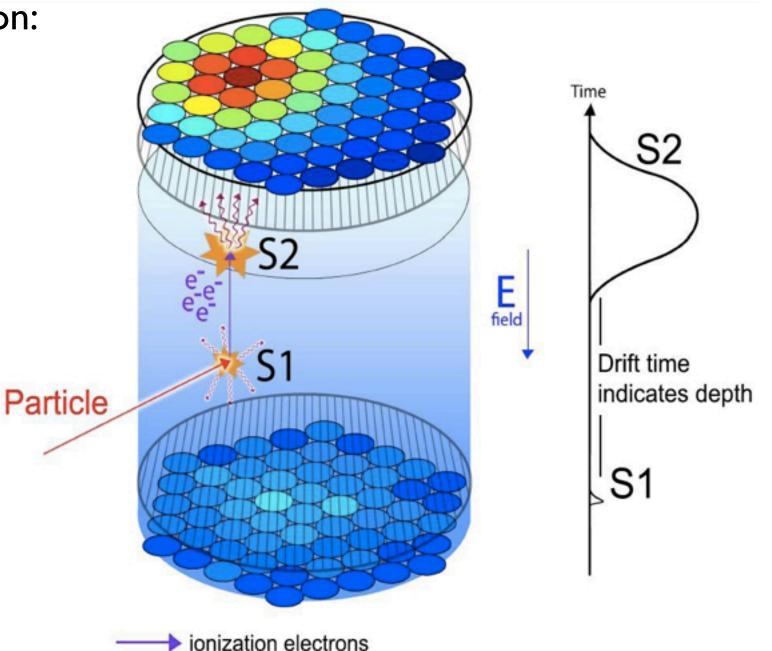


Experimental results to date (early 2016): nada

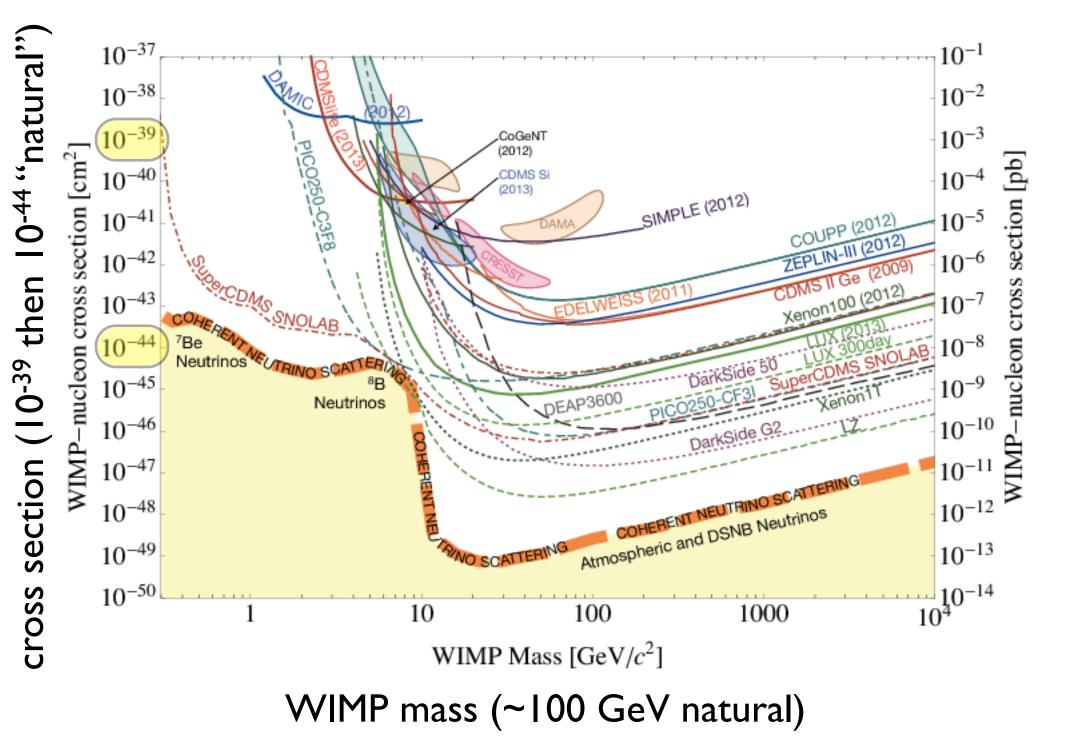
Direct detection:

Must protect experiments from cosmic rays, natural radioactivity, selfradioactivity, etc., etc.

Bury them deep in mines.



→ UV scintillation photons (~175 nm)

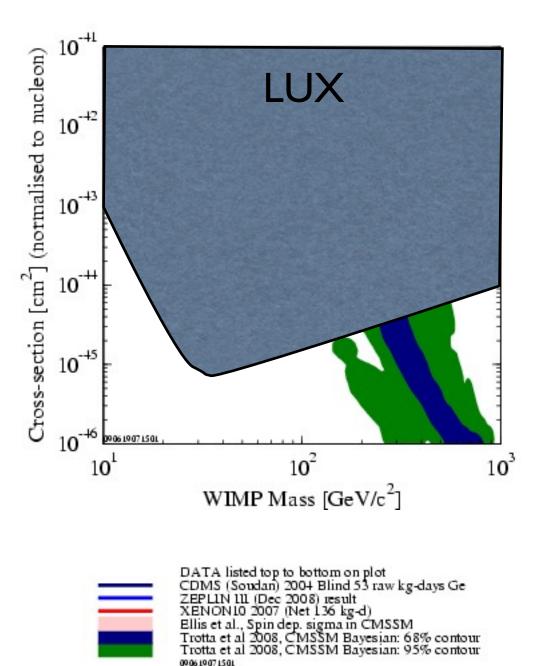


Many ongoing experimental searches for **Cold Dark Matter** 

## Paging Cold Dark Matter

Paging Cold Dark Matter ... hello?





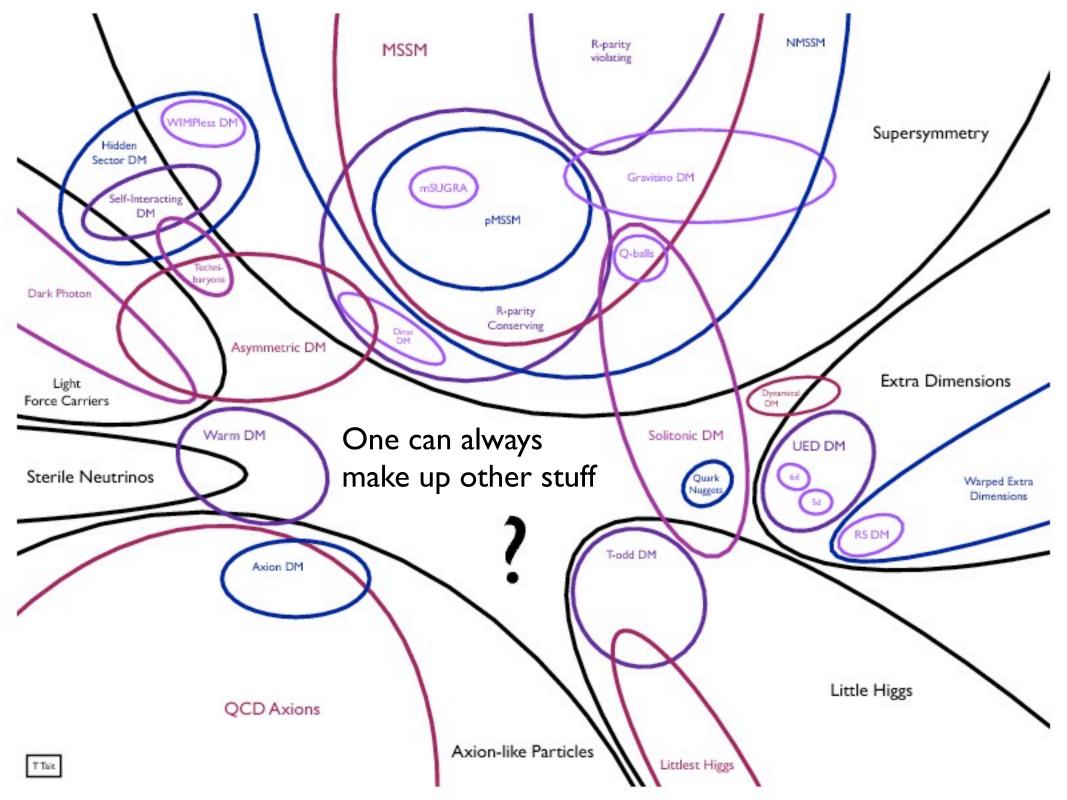
Experimental results to date (early 2016): nada

LHC: the LHC sees no indication of dark matter or even supersymmetry

Direct Detection: Nothing so far

Inirect Detection: Various claims gamma ray excess near Galactic Center cosmic ray excess unidentified X-ray lines

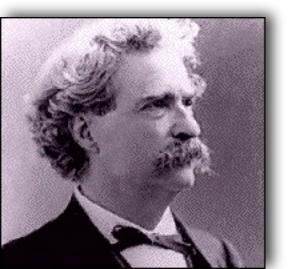
As yet: nothing credible.





# What gets us into trouble is not what we don't know.

# It's what we know for sure that just aint so.



## - Mark Twain

## A few things we know for sure...

$$\nabla^2 \Phi = 4\pi G\rho$$
  
F = ma

which basically means

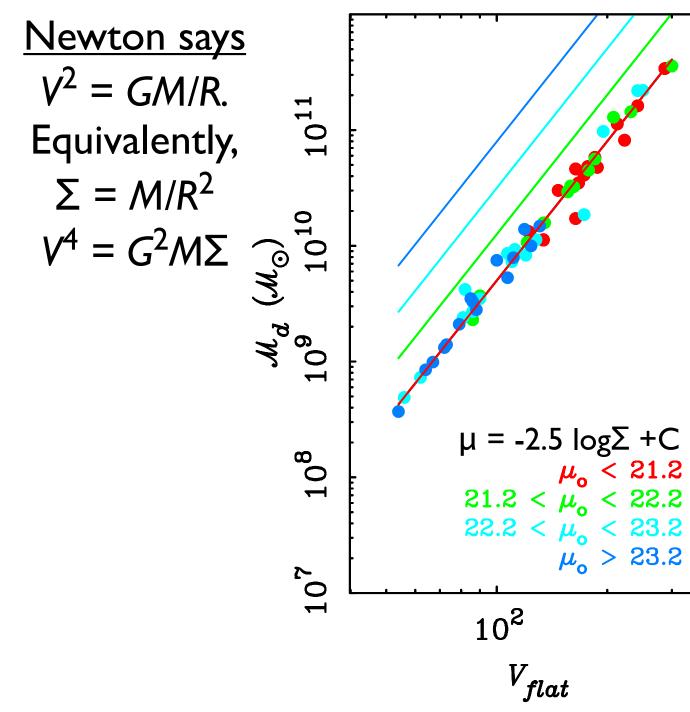
 $mV^2/R = GMm/R^2$ i.e,  $V^2 = GM/R$ 



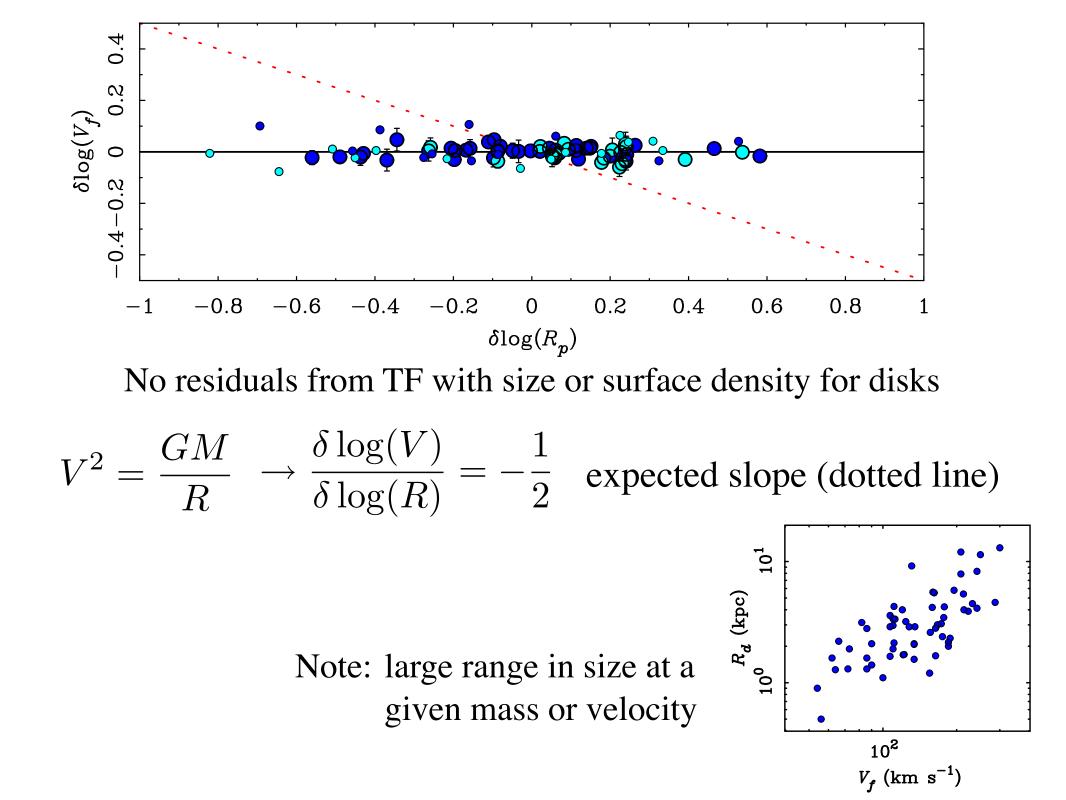
ergo...

The universe is filled with non-baryonic cold dark matter.

## **TF** Relation



<u>Therefore</u> Different Σ should mean different TF normalization.



### For disk galaxies

Newton says: 
$$\frac{V^2}{R} = \frac{GM}{R^2} = G(\Sigma_b + \Sigma_{DM})$$
  
surface density  $\Sigma = \frac{M}{R^2}$ 

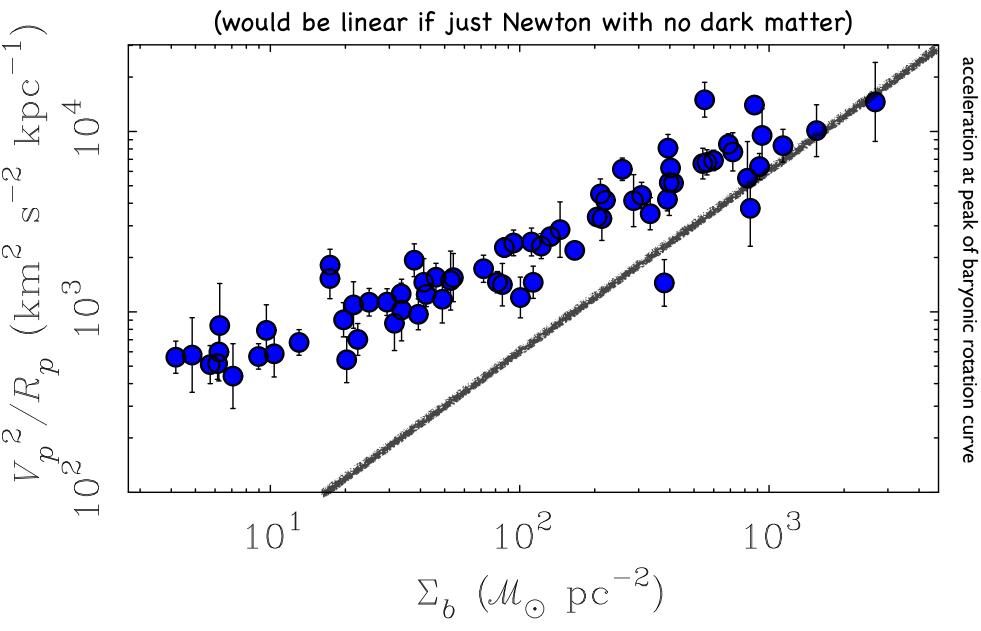
So we infer that 
$$\Sigma_{DM} \gg \Sigma_b$$

(i.e., that all disks are dark matter dominated) in order to explain the lack of TF residuals with luminous size  $R_p$ 

But we also infer that the baryons do matter...

3 Law: Gravitational force correlates with baryonic surface density

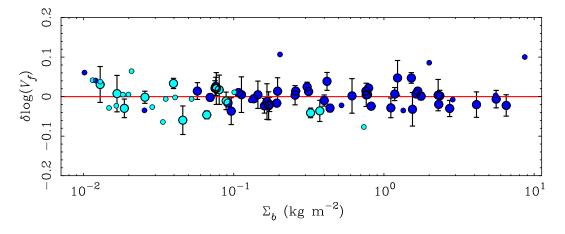
 $a \sim \Sigma_b^{1/2}$ 



central baryonic surface density

But wait - before we decided  $\Sigma_b \ll \Sigma_{DM}$ 

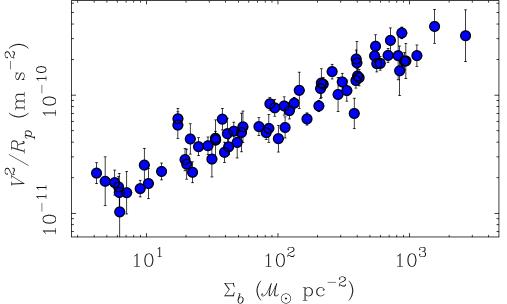
Now  $\Sigma_b$  is observed to correlate with gravitational force. Is this a contradiction?

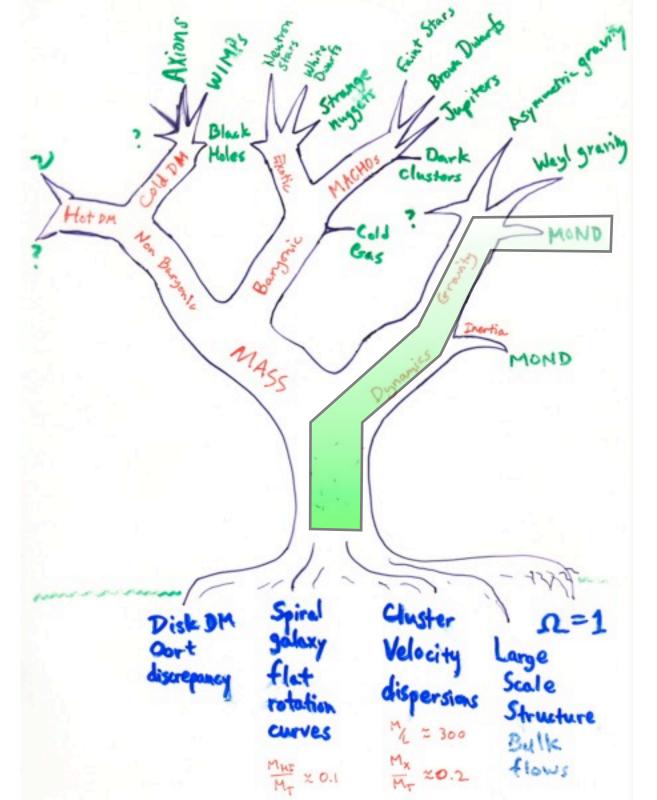


Lack of TF residuals says baryon distribution does not matter.

Correlation of dynamical force with observed surface density says the baryon distribution does matter.

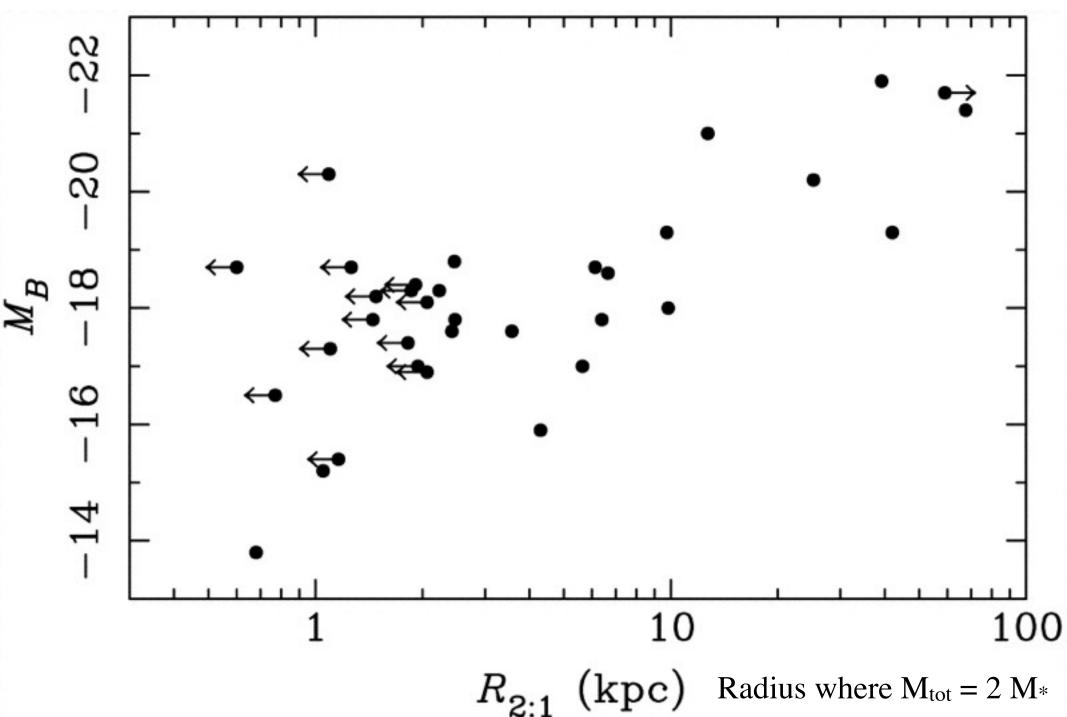
$$\frac{V^2}{R} = G\left(\Sigma_b + \Sigma_{DM}\right)$$





or maybe we've been using the wrong equation

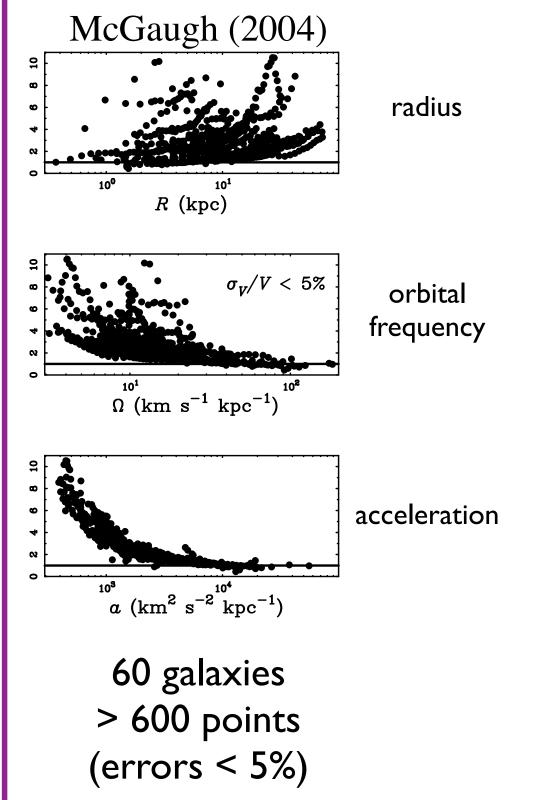
Not any theory will due - length scale based modifications can be immediately excluded as the discrepancy does not appear at a particular length scale.



Not just any force law...

No unique size scale in the data. Can generically exclude any modification of gravity where a change in the force law appears at a specific length scale.

There is a characteristic acceleration scale in the data

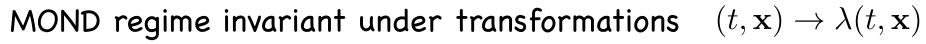


#### MOND

Modified Newtonian Dynamics (Milgrom 1983)

Instead of invoking dark matter, modify gravity (or inertia). Milgrom suggested a modification at a particular acceleration scale  $a_0$ 

Newtonian regimeMOND regime $a = g_N$  for  $a \gg a_0$  $a = \sqrt{g_N a_0}$  for  $a \ll a_0$ 



Regimes smoothly joined by

$$\mu\left(\frac{a}{a_0}\right)a = g_N$$

 $\mu(x) \to 1 \text{ for } x \gg 1$   $\mu(x) \to x \text{ for } x \ll 1$   $x = \frac{a}{a_0}$ 

Modified Poisson equation

$$\nabla \left[ \mu \left( \frac{\nabla \Phi}{a_0} \right) \nabla \Phi \right] = 4\pi G \rho$$

Derived from aquadratic Lagrangian of Bekenstein & Milgrom (1984) to satisfy energy conservation.

