## DARK MATTER

ASTR 333/433

## **TODAY**

CUSP-CORE IN DSPHS TOO BIG TO FAIL PLANES OF SATELLITES KITCHEN-SINK MODELS



Wolf et al. (2010)





Velocity dispersion profiles of dwarfs spheroidal galaxies approximately  $\sigma_{v_{o}} \, (\rm km/s)$ flat.

Walker et al. (2007)





Walker & Penarrubia (2011) find that dSph galaxies suffer the same cusp-core problem as found in rotating low surface brightness galaxies

$$\rho \sim r^{-\gamma}$$

$$\gamma=0.39$$
 Formax  $\gamma=0.05$  Sculpton

$$\begin{bmatrix} 14 \\ 12 \\ 10 \\ 10 \\ 8 \\ 6 \\ 4 \\ - - - NFW Cusp \\ - - - NFW Cusp \\ - - - Rodial (\beta_{oni}=0) \\ - - - Rodial (\beta_{oni}=-0.3) \\ 2 \\ - - - Rodial (\beta_{oni}=-0.5) \\ 0 \\ 100 \\ 100 \\ 1000 \\ 0 \\ 1000 \\ r [pc] \end{bmatrix}$$

## Too Big to Fail?









Bullock JS, Boylan-Kolchin M. 2017. Annu. Rev. Astron. Astrophys. 55:343–87

Too Big to Fail happens in the field, too. It can't be a process specific to satellites. Sort of combines the missing satellite and cusp-core problems. Many models can be invoked to suppress galaxy formation in small dark matter halos; is harder to prevent in mid-size halos.



e.g., Reionization models illustrated here are good for explaining the smallest galaxies, but not ~40 km/s halos, which are too big to fail.



#### The dwarf satellites of Andromeda





#### Satellite galaxy positions as viewed from Andromeda



Ibata et al. (2013) Nature 493, 62





The chance of the satellite plane of Cen A being both as flattened and as kinematically correlated as observed is < 1% in simulations

#### (Müller et al. 2018 Science, **359**, 534)

Dwarf satellite galaxies are problematic for CDM in several ways:

- there should be thousands of them rather than dozens (missing satellite problem)
- they have shallow dark matter halo profiles (cusp/core problem)
- Too Big to Fail (related to cusp/core problem)
- they tend to reside in co-orbiting planes

   (do not exhibit the expected isotropy in phase space)
   the phase space distribution could hardly be *more* different observed thin planes in ordered rotation vs.
   predicted isotropic distribution of objects on predominantly radial orbits

Too Big to Fail is basically a restatement of the cusp-core problem, convolved with the missing satellite problem, which itself is a rephrasing of the luminosity function problem (flat rather than steep faint end slope).

### Kitchen sink cosmological models

Somerville & Dave 2015 ARA&A, 53, 51



R Somerville RS, Davé R. 2015. Annu. Rev. Astron. Astrophys. 53:51–113

# Illustris simulation

# now



## Halo assembly by mass







Figure 5.5: The evolution of the characteristic [4.5] magnitude of galaxies and their simulated counterparts as a function of redshift. Red triangles represent simulated protocluster galaxies as identified within the Millennium simulation by their *treeRootId*. Overdense galaxies (black squares) are identified in the Henriques et al. (2015) lightcones using the CCPC algorithm, and then fitted to a Schechter function to estimate  $m^*(z)$  values at  $4.5\mu$ m, as seen in Table 5.2. As a comparison,  $m^*(z)$  for the CCPC are plotted as magenta points, along with galaxies in clusters and protoclusters at lower redshifts from the literature (Mancone et al., 2010; Wylezalek et al., 2014). Galaxy stellar population models constructed using EzGal are plotted as comparisons, but we are not assuming that these protoclusters and clusters are a progenitor-descendant matched sample. The mock data has a  $m^*(z)$  trend that looks more similar to a constant star formation model (dust extinction of  $\tau_V = 1$ ) shown by a dash-dot red line (Bruzual & Charlot, 2003) up to  $z \sim 2$ , where it might merge into a passive evolution model born at high redshift ( $z_f > 7$ ). The simulations predict a large stellar mass assembly between 2 < z < 6.6, while these data seem best fit by a massive, old population of galaxies.

